

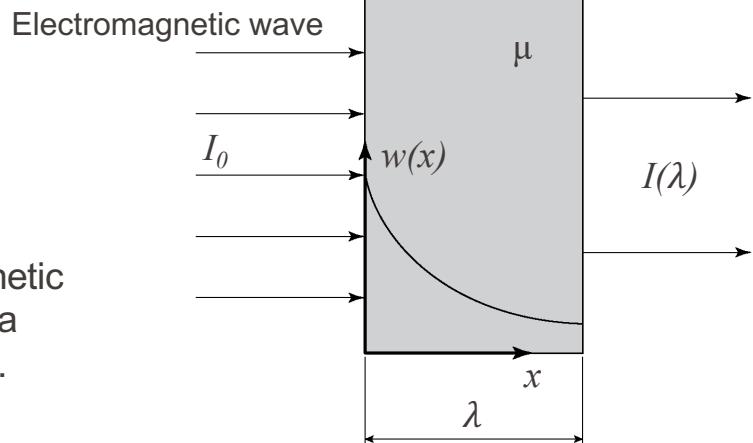
Solved

- If the attenuation of radiations in a shielding follows an exponential law, what is the type of particles?

- ~~Alpha particles~~
- ~~Beta particles~~
- Gamma particles

Which are also electromagnetic waves, when alpha and beta particles are mass particles.

$$I(\lambda) = I_0 \cdot e^{-\mu \cdot \lambda}$$



- The dose of radiations is expressed in

- J/m^2

- kg/m^2

- J/kg
$$D = \frac{d\bar{\varepsilon}}{dm} \quad [\text{J/kg} = \text{Gy}]$$

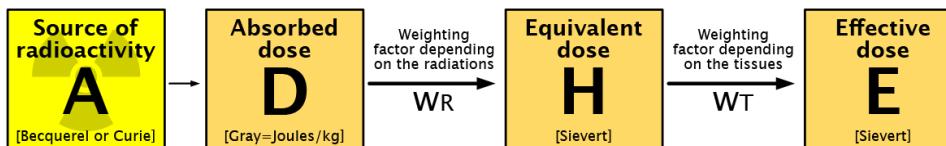
- 1/ m^2

- Gray
$$[\text{Gy} = \text{J/kg}]$$

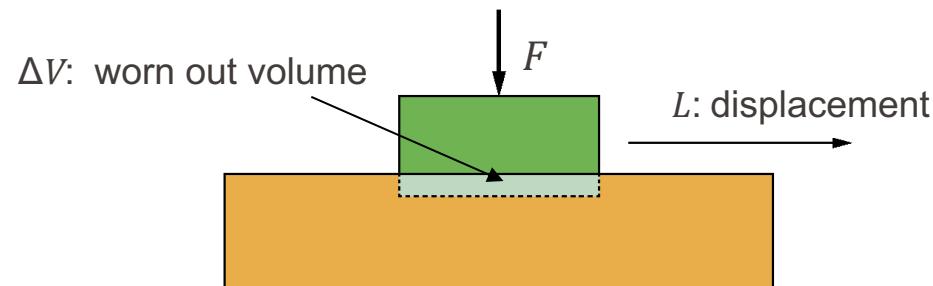
- Sievert
$$[\text{Sv} = \text{J/kg}]$$

$$H_T = \sum w_R \cdot D_{T,R}$$

$$H_T = \sum w_T \cdot \sum w_R \cdot D_{T,R}$$



- The wear is determined by several elements. Which one is the odd one in the following list?
 - The contact pressure between the surfaces
 - The temperature
 - The displacement speed
 - The surface condition
 - ~~The friction coefficient~~
 - The materials in contact
 - The displacement length



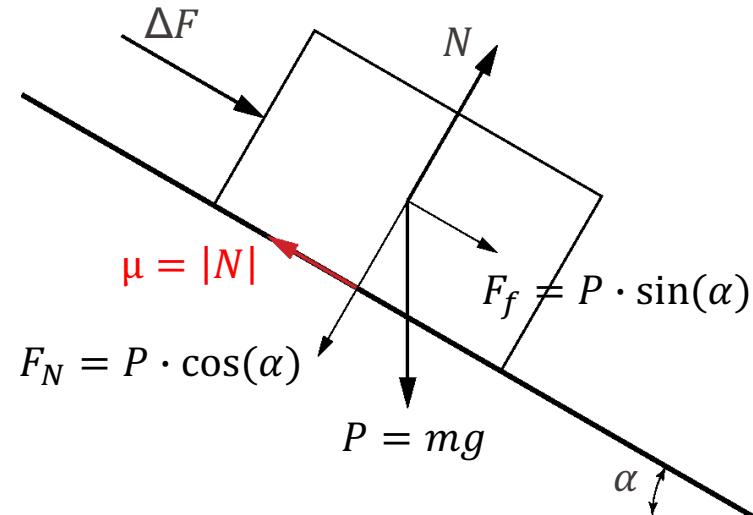
$$\Delta V = k \cdot F \cdot L$$

k : wear coefficient

- Which ratio does the friction coefficient represent?

$$F_f = \mu \cdot F_N$$

$$\mu = \frac{F_f}{F_N}$$



- Thermal expansion depends on 4 parameters.
List them here:

- A coefficient depending on the material
(the **coefficient of thermal expansion** α)
- The **size of the part** at reference temperature (l_0)
- The **reference temperature** (T_0)
- The **temperature** (T)

$$l(T) = l_0 \cdot (1 + \alpha(T - T_0))$$

- When two parts are put into contact, two types of thermal transfer exist:

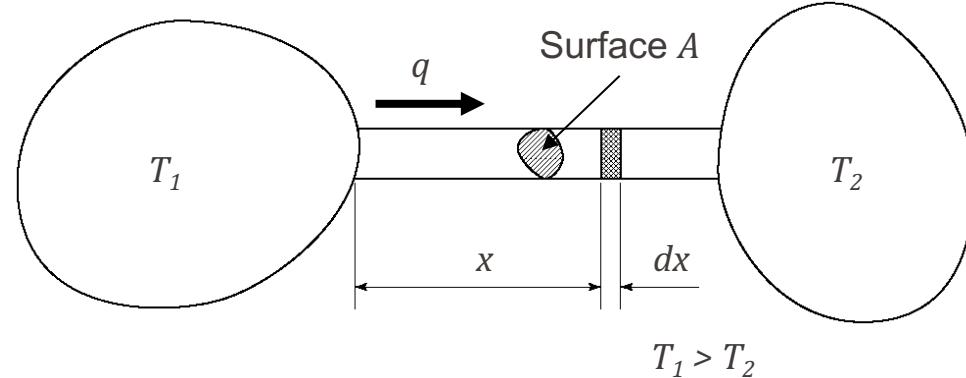
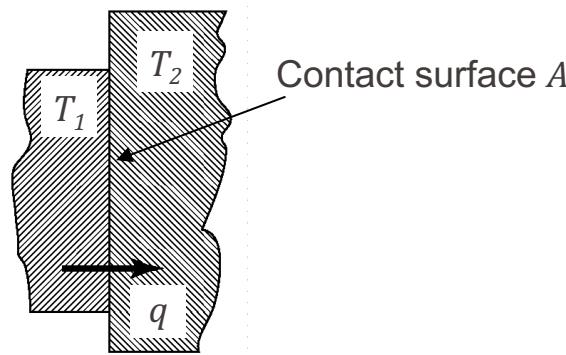
1) transfer through the surface, $[\kappa] = \frac{\text{W}}{\text{m}^2 \cdot \text{K}}$

$$q = -\kappa \cdot A \cdot (T_1 - T_2)$$

2) transfer by conduction. $[\lambda] = \frac{\text{W}}{\text{m} \cdot \text{K}}$

$$q = -\lambda \cdot \frac{dT}{dx} \cdot A$$

Give the units for the coefficients of both types of transfer.



- The thermal radiation law for a grey body depends on the material and the temperature.

- Name the parameter for the material:

Emittance ε (émissivité)

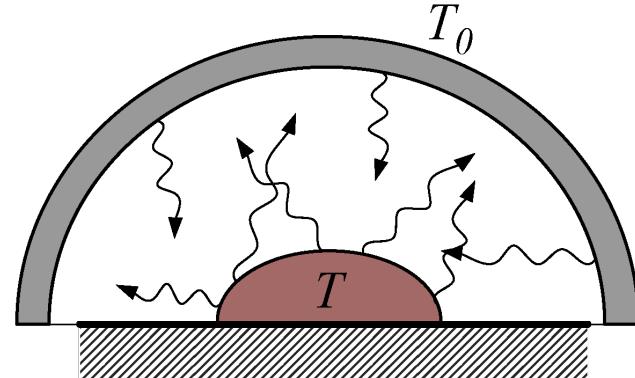
- Give the dependency for the temperature:

$$T^4 - T_0^4$$

$$w = \sigma \cdot \varepsilon \cdot (T^4 - T_0^4)$$

Where the universal constant $\sigma = \frac{2\pi^5 k^4}{15c^2 h^3} = 5.67 \cdot 10^{-8} \frac{\text{W}}{\text{m}^2 \text{K}^{-4}}$

Is named Stefan-Boltzmann constant



- The thermal radiation law w for a grey body is expressed as:

$$w = \sigma \cdot \varepsilon \cdot (T^4 - T_0^4)$$

- ~~A flow~~ [m³/s]
- ~~A power density~~ [W/m³]
- **A power flow** [W/m²]
- ~~A particle rate~~ [m/s]
- ~~A travelled distance~~ [m]

- The Hertz pressure is characterized by

- ~~3 parameters~~
- ~~6 parameters~~
- ~~7 parameters~~

➤ **9 parameters**

- Those parameters are:

- The contact force F
- The materials: E_1, E_2, ν_1, ν_2
- The geometry: $R_{1x}, R_{1y}, R_{2x}, R_{2y}$

